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September 28 @ 4:30 pm - 5:30 pm UTC+4

Title: "Localization of the continuous Anderson hamiltonian in 1-d and its transition towards delocalization".

Abstract: We consider the 1-d random Schrodinger operator $-\frac{d^2}{dx^2} + B'(x)$ on an interval of size L where the potential B' is a white noise. We study its entire spectrum in the large L limit. We prove the joint convergence of the eigenvalues and of the eigenvectors and describe the limiting shape of the eigenvectors for all energies. When the energy is much smaller than L , we find that we are in the localized phase and the eigenvalues are distributed as a Poisson point process. The transition towards delocalization holds for large eigenvalues of order L . In this regime, we show the convergence at the level of operators. The limiting operator is acting on \mathbb{R}^2 -valued functions and is of the form " $J \partial_t + 2^2$ noise matrix" (where J is the matrix $\begin{pmatrix} 0 & -1 \\ 1 & 0 \end{pmatrix}$), a form which already appeared as a conjecture by Edelman Sutton (2006) for limiting random matrices. Joint works with Cyril Labbé.